Errata — Advanced Macroeconomics, a Primer by Patrick Minford and David Peel (second impression)

page 18, second para, equation should read $\dot{p}_t^e - \dot{p}_{t-1}^e = k[\dot{p}_{t-1} - \dot{p}_{t-1}^e]$
p 22, second line of box should read: Remembering that $\Delta \ln x_t = \frac{\Delta x_t}{x_{t-1}}$
p 27 last line to read: $p_t + ap_{t-1} + bp_{t-2} = 0$
p 92 second equation from bottom to read: $\phi = \frac{E(\pi_0 \epsilon_t, p_{it})}{E(\pi_0 \epsilon_t + v_{it})^2} = \frac{\pi_0^2 \sigma_\epsilon^2}{\pi_0^2 \sigma_\epsilon^2 + \sigma_v^2}$
p. 158 bottom line left hand side of equation, numerator to read: $\alpha - \widehat{a}$
p. 239 equation (1), bottom of page, to read: $Y_t = A_t L_t^\alpha K_t^{1-\alpha}$
p. 240 equation (4) to read: $r_t = (1-\alpha)\frac{Y_t}{K_t}$; that is, $k(r) = (\frac{r_t}{1-\alpha})^{-1}$
p. 243 equation (10) to read: $Y_t = (\exp \frac{\pi}{\alpha} t) Y_{t-1}^{\gamma/\alpha} L_t (\frac{r_t}{1-\alpha})^{-(\frac{1-\alpha}{\alpha})}$
p. 290 equation (64) at bottom to read: $c_0 = E_0 c_1 [\beta(1+r_0)]^{\frac{-1}{1-\gamma(1-\rho)}}$ ...(as before)
p. 291 second line to read: where $-\lambda_1 = \frac{\gamma\beta(1-L_1)^{(1-\gamma)(1-\rho)}}{c_1^{1-\gamma(1-\rho)}}$

line after equation (68) to read: where $\overline{K_0} =$ as before

p. 302 equation (8) denominator term in ϵ_t to read: $1 + \alpha^2(\lambda - \beta\gamma_2)$
p. 316 seventh line to read: It maximizes $E_{t=0} \sum_{t=0}^{\infty} \beta^t u(c_t)$ subject to
p. 325 equation (16) term in s'_{t-1} to read $\left\{ \frac{.....d_{t-1}^*(1-\pi)}{e_t} \right\}$

equation (17) to read $y_t = (1-l_t)^\pi d_t (s_t - [1-\pi] s_t^{*\prime})$

p. 326 equation (22) rhs numerator to read: $....(1-l_t)^{\pi-1}(s_t - [1-\pi]s_t^{*\prime})$

equation (23) lhs to read $\left\{ \frac{....d_t^*(1-\pi)}{p_t^* r_t^*} \right\} \frac{e_t}{e_{t+1}}$

equation (25) to read $s_t + s_t^{*\prime} = 1 = s_t^* + s_t'$

p. 327 equation (28) lhs to read $...d_{t-1}(1-\pi)s_{t-1}^{*\prime}$

same equation rhs to read ..... $- \frac{p_{t-1}^* .... d_{t-1}^*(1-\pi)s'_{t-1}}{e_t}$